#### PO479: Introduction to Causal Inference

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# What is Causal Inference?

#### Different Kinds of Inference

- Descriptive Inference
- Predictive Inference
- Causal Inference

#### The Potential Outcomes Model

- This model determines the effect of treatment assuming that each unit has the potential to be treated or not treated (See work by Jerzy Neyman and Donald Rubin).
- The potential outcomes model provides a set of assumptions that can allow for valid causal inference when randomization is not possible (Morgan and Winship 2015).
  - a framework in which to ask carefully constructed what-if
    questions that lay bare the limitations of observational data and
    the need to clearly articulate assumptions that are believable
    because they are grounded in theory that is defendable
    (Morgan and Winship 2015, p. 13).

#### The Potential Outcomes Model

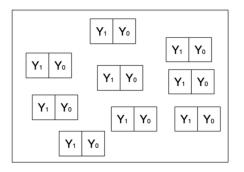


Figure: Potential Outcomes Urn (Source POLI666 Aaron Erlich)

#### The Potential Outcomes Model

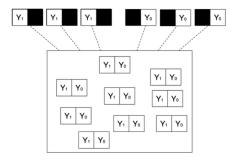


Figure: Draws from the Potential Outcomes Urn (Source POLI666 Aaron Erlich)

#### The Causal Effect

 Therefore, we can estimate the causal effect for a unit i as the difference between its two potential outcomes:

$$\tau_i = Y_{1i} - Y_{0i} \tag{1}$$

• However, we have a problem. We cannot obverse both  $Y_{1i}$  and  $Y_{0i}$  for the same i.

# A missing data problem

- The fundamental problem in causal inference is that we cannot observe all the potential outcomes.
- Therefore, we cannot calculate  $\tau_i$

		$Y_{1i}$			
1	1	8 4 6 10	3	5	8
2	1	4	6	-2	4
3	0	6	6	0	6
4	0	10	8	2	10

# Interested in Averages

• However, we are not usually interested in  $\tau_i$  we are interested in  $\tau_{ATE}$  or the Average Treatment Effect

$$\tau_{ATE} = \mathbb{E}[\tau_i] = \mathbb{E}[Y_{1i} - Y_{0i}] = \frac{0 + 2 + 5 + -2}{4} = 1.25$$

# Interested in Averages

i	$D_i$	$Y_{1i}$	<i>Y</i> <sub>0<i>i</i></sub>	$   au_{\it i}$	$Y_i$
1	1		6	?	6
2	1		8	?	8
3	0	8 4		?	8
4	0	4		?	4

 Since we cannot observe any of the values in red, we need to estimate the ATE from the information we observe.

$$\tilde{\tau} = \mathbb{E}[Y_{i|D=1} - Y_{i|D=0}] = \frac{6+8}{2} - \frac{8+4}{2} = 1$$

- Notice how we can approximate the  $\mathbb{E}[\tau_i]$  by taking the average of the observed values.
- But our  $\tau_{ATE} \neq \tilde{\tau}$ , this problem occurs when there is bias in selection to treatment. Therefore, we need a research design that reduces this bias.

# **Identification Strategies**

- There are a number of assignment mechanisms that help researchers make claims that they are able to identity the causal effect.
- The goal is to ensure that potential outcomes are not correlated with assignment to treatment. In other words we want to ensure that the treatment and control groups are as similar as possible.

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- 4 Treatment is self selected and there is no plausible control

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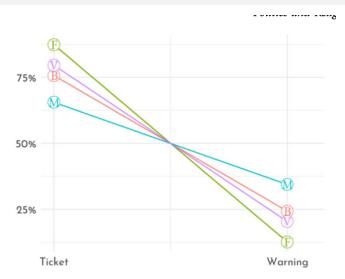
The ingroup love and outgroup hate of Christian Nationalism: experimental evidence about the implementation of the rule of law

Zachary D. Broeren<sup>1</sup> and Paul A. Djupe<sup>2</sup>

"A man in his car is pulled over for speeding. He explains to the officer that..." (Broeren and Djupe 2023, p. 46).

- he was speeding because he is late for worship at his Baptist church [Baptist].
- kickoff for a huge college football rivalry is soon and he needs to buy a 6 pack before it begins [Football].
- he was speeding because he is late for Jummah prayers at his Mosque [Muslim].
- he was speeding because he is running late for a lecture on veganism he has been looking forward to [Vegan].

Respondents were then asked, "Should he be given a warning or a ticket?"



Note: B=Baptist, F=Football, M=Muslim, V=Vegan

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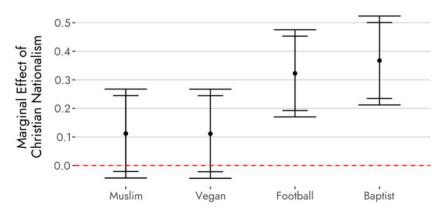


Figure 3. The marginal effect of Christian nationalism by treatment.

# The Impact of Political Violence on Levels of Polarization: Evidence from a Natural Experiment in the United Kingdom

Rafael Campos-Gottardo<sup>1,2</sup>

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How do you estimate the *ATE* for experiments?

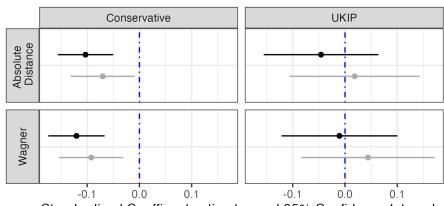
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 A difference in means estimator (e.g., regression, t-test, ANOVA, etc.)

How do you estimate the *ATE* for experiments?

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$$Y_i = \alpha + \tau D_i + Z_i \gamma + \varepsilon_i \tag{2}$$



Standardized Coefficent estimates and 95% Confidence Intervals

## Do natural disasters help the environment? How voters respond and what that means<sup>1</sup>

Leonardo Baccini<sup>1</sup> and Lucas Leemann<sup>2</sup>\* (D)



<sup>1</sup>Department of Political Science, McGill University, Montreal, Canada and <sup>2</sup>Department of Political Science, University of Zurich, Zurich, Switzerland

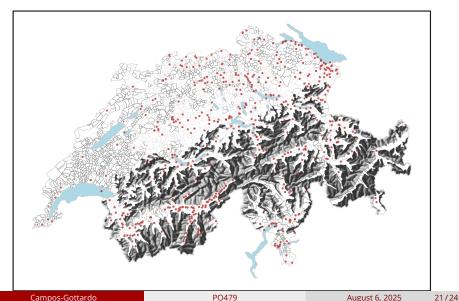


Table 1. Voting and weather (OLS)

	Model I	Model II	Model III
EXPOSURE			
Flooded	0.86** (0.42)	1.28*** (0.42)	1.19*** (0.42)
VOTE SHARES		,	,
	✓	✓	✓
Precipitation	Χ	✓	/
Surface	^	•	•
SORFACE	x	✓	/
FIXED EFFECTS			
Votes	✓	✓	✓
Municipality	/	✓	✓
$R^2$	0.82	0.84	0.85
Adj. R <sup>2</sup>	0.80	0.82	0.82
Num. obs.	21024	18320	17934
RMSE	8.18	7.62	7.61

<sup>\*\*\*</sup>p < 0.01, \*\*p < 0.05, \*p < 0.1, full table with all estimated coefficients is presented in the appendix (Table A.1).

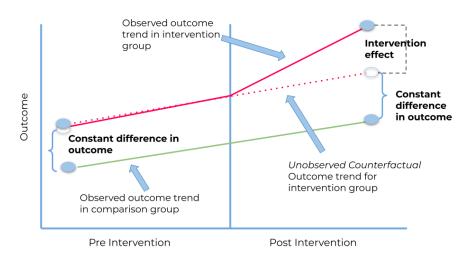


Figure: Source Medium

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# Questions?

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